2-2

| Course Title: Engineering Economics |                   | Course Code: ECN 201 |
|-------------------------------------|-------------------|----------------------|
| Time: 3 hours                       | Credit Hour: 3.00 | Full Marks: 150      |

There are **EIGHT** questions. Answer any **SIX** questions where questions 1 and 2 are compulsory. All the questions are of equal value. Figures in the right margin indicate marks.

1. Describe different types of elasticity of demand and derive the formula for 25 measuring the elasticity of demand. The demand function for mobile data is given by

Qdx = 2024 - 45 Px + 0.008 YWhere, price of per unit mobile data, Px = Tk. 25 and consumer income, Y = Tk. 60000. Calculate the price elasticity and income elasticity of mobile data.

- Describe the major macroeconomic policy goals with special emphasis on the 25 business cycle. Explain the differences between Gross Domestic Product (GDP), Gross National Product (GNP) and Net National Product (NNP).
- Define an indifference curve and describe its properties. Explain the concepts of 25 marginal rate of substitution (MRS) with the help of an indifference curve.
- 4. a) Clarify the concepts of 'short-run' and 'long-run' in the theory of production and 12 illustrate the law of diminishing marginal returns.
  - b) Define fixed cost and variable cost. Sketch different types of short-run cost 13 curves from hypothetical cost data.
- 5. a) Mathematically derive the condition for profit maximization and illustrate the 12 short-run profit maximization of a firm using a graph.
  - b) The Total Revenue (TR) and Average Cost (AC) functions of a firm are given 13 respectively:

 $TR = 4000Q - 33Q^2$  and  $AC = 2Q^2 - 3Q + 400 + 5000/Q$ 

Find the maximum profit-giving level of production and maximum profit

- 6. a) Given, the price of Pears, Pp = tk. 40, price of Orange, Po =Tk. 50 and budget 12 (income) of the consumer, M = Tk. 1800. Draw the consumer's budget line and calculate its slope. What will happen to the budget line for 'a change in budget' and 'a change in price'?
  - b) Sketch an indifference map from three indifference sets. Graphically show the 13 optimal consumption point of a consumer and explain the optimal (equilibrium) conditions.
- 7. a) Explain the reasons of taking inflation into consideration when measuring GDP 12 with an example.

|                 | Price index for each category |           |           |  |
|-----------------|-------------------------------|-----------|-----------|--|
| Category        | Weight                        | Year 2021 | Year 2023 |  |
| Food and drinks | 0.2                           | 300       | 320       |  |
| Housing         | 0.35                          | 5000      | 6500      |  |
| Transportation  | 0.18                          | 200       | 207       |  |
| Medical         | 0.013                         | 150       | 130       |  |
| Others          | 0.257                         | 1200      | 1245      |  |
| ~               | 1.00                          |           |           |  |

b) Explain Consumer Price Index (CPI). From the following table calculate the rate 13 of inflation.

8. Write Short Notes on any THREE of the following

25

- i) Circular flow of income and expenditure
- ii) Methods of measuring national income
- iii) Returns to scale of production (RTS)
- iv) Principles of taxation.

# University of Asia Pacific Department of Civil Engineering Semester Final Examination Spring-2024 (Self-Study) Program: B.Sc. in Engineering

| Cou<br>Tim      | rse T<br>e: 3.( | itle: Mathema<br>00 Hours          | tics-IV  | Credit Hour: 3.00   | Course Code: MTH 203<br>Full Marks: 150 |
|-----------------|-----------------|------------------------------------|--|---|---|
| There<br>indica | e are<br>ate tł | eight (8) quest<br>ne marks of the | tions. Answer and the second sec | ny six (6) questions. Figures giver<br>stions.                          | i in the right margin                   |
| 1.              | a)              | Make the nor                       | 1-exact different  | tial equation then solve  | 15                                      |
|                 |                 |                                    | (x <sup>2</sup> +  | $+y^2 + x)dx + xy dy = 0.$  |   |
|                 | b)              | Check the exa                      | actness and solv   | $ve (x^2 + y^2 + 1)dx - 2xy dy = 0$                                     | . 10                                    |
| 2.              |                 | Solve the foll                     | lowing linear eq   | juations:   | 25                                      |
|                 |                 | (i) (1                             | $(1-x^2)\frac{dy}{dx} - xy$  | = 1   |   |
|                 |                 | (ii) $x \frac{d}{dx}$              | $\frac{\mathrm{d}y}{\mathrm{d}x} + 2y = x^2 \log x$  | g x   |   |
| 3.              |                 | Solve the foll                     | lowings:   |   | 25                                      |
|                 |                 | (i) $\frac{dy}{dx}$                | $= e^{x-y} + x^2 e^{-y}$   | (Using Variable separation)   |   |
|                 |                 | (ii) $\frac{dy}{dx}$               | $= (x + y)^2$  | (Using Reducible Variable separation)                                   |   |
| 4.              |                 | Solve the foll                     | lowing Homoge  | eneous differential equation  | 25                                      |
|                 |                 | (i) x <sup>2</sup>                 | $ydx - (x^3 + y^3)dy$  | y = 0   |   |
|                 |                 | (ii) (x <sup>2</sup>               | $^{2} + y^{2})dx + 2xydy$  | y = 0   |   |
| 5.              |                 | Solve the foll                     | lowing Bernoull  | li's equations  | 25                                      |
|                 |                 | (i) $x^2$                          | $\frac{dy}{dx} - 2xy = 3y$   | y <sup>4</sup>  |   |
|                 |                 | (ii) $\frac{dy}{dx}$               | $x + xsin2y = x^2$   | <sup>3</sup> cos <sup>2</sup> y   |   |
| 6               |                 | Solve the foll                     | lowing higher of   | rder differential equations   | 25                                      |
|                 |                 | (i) $\frac{d^3}{dx}$               | $\frac{y}{dx} - 13\frac{dy}{dx} - 12y$   | y = 0   |   |
|                 |                 | (ii) $\frac{dx}{d^4}$              | $\frac{y}{y} = \frac{d^3y}{d^2y} = 9\frac{d^2y}{d^2y}$   | $-11\frac{dy}{dy} - 4y = 0$   |   |
|                 |                 | (iii) dx                           | $dx^{4} + dx^{3} + dx^{2}$<br>$D^{4} + 5D^{2} + 6)y$   | y = 0   |   |
| 7               |                 | Using convol                       | ution theorem f  | ind $\mathcal{L}^1\left\{\frac{3}{s^2(s+2)}\right\}$ .                  | 25                                      |
| 8               |                 | Solve the foll                     | lowing different<br>y'   | tial equation using Laplace transform<br>$y' + 2y = e^t$ ; $y(0) = 1$ . | rmation 25                              |

| Course Title: Engineering Geology and Geomorphology (OBE) Credit Hour: 3.00 Course Code: CE 203<br>Time: 3 hours Full Marks: 100   |   |  |  |  |  |
|--|---|--|--|--|--|
| (There are SIX questions in total. You must answer all)  |   |  |  |  |  |
| 1. a) Derive the equation of a longitudinal bed profile. (4)   |   |  |  |  |  |
| b) Describe the processes by which bed load is transported along the direction of the flow. (4)  |   |  |  |  |  |
| c) Rainfall with mild intensity can cause significant surface runoff if it persists for a long duration. (4) Discuss.  |   |  |  |  |  |
| 2. From the following figure (5+5  | ) |  |  |  |  |
| i. Calculate the horizontal distance between locations B and D   |   |  |  |  |  |
| ii. Compute the erosional tendency at locations A, B, C, and D.  |   |  |  |  |  |
| i. Compute the erosional tendency at locations A, B, C, and D.<br>H<br>A<br>Longitudinal profile of a river<br>B<br>$H_A = 1.5H_B = 1.8H_C = 2.0H_D = 300ft$<br>100000ft |   |  |  |  |  |

- a) Discuss typical changes of the following stream channel characteristics along its length with (a) the help of a graph.
  i) bed material grain size ii) channel width iii) channel depth iv) relative volume of stored alluvium
  - b) Explain why the maximum stage and maximum discharge occur at different times and draw (6) the stage-discharge curve.
  - c) Discuss the importance of the seismic hazard map of Bangladesh updated in BNBC-2020. (4)

4. a) Rank the streams of the following drainage basin having a drainage density of 0.12/km. The (5+10) results of the survey are summarized in the table below.



| Steam Rank | Average Length (km) |
|------------|---------------------|
| 1          | 5.9                 |
| 2          | 18.3                |
| 3          | 40.4                |
| 4          | 98.2                |

Hence, or otherwise, calculate the following parameters:

- a. Average Bifurcation Ratio (ABR)
- b. Average Length Ratio (ALR)
- c. Length of overland flow
- d. Stream Frequency (SF)
- b) Using the following figure, calculate the rainfall intensity in inches/hr for the catchment area (10) where the peak runoff is 120 ft<sup>3</sup>/hr. [All units are in the yard.1 yard = 3 feet]

| Area | Run-off coefficient |
|------|---------------------|
| 1    | 0.70                |
| 2    | 0.50                |
| 3    | 0.45                |
| 4    | 0.35                |



- 5. a) Discuss the concept of graded stream according to Mackin and explain how slope controls (5) the equilibrium of the stream.
  - b) Compare between infiltration and percolation. (5)
  - a) The magnitude of an earthquake in Richter scale is 6.0. If the maximum trace amplitude (6) of a seismograph is measured to be 10000 mm. Find out the distance of the epicenter from the station.

6.

- b) An urban area of 5 km<sup>2</sup> experiences a rainfall event with an intensity of 10 mm/h lasting (6) for 2 hours. The runoff coefficient of the area is 0.5, and evaporation and transpiration losses are estimated to be 2 mm. Calculate the total volume of infiltration into the soil using the given data. Assume the total rainfall volume is distributed between runoff, evaporation-transpiration, and infiltration.
- c) A city is designing a stormwater drainage system for a 0.5 km<sup>2</sup> urban area. The runoff (13) coefficient of the area is 0.75. The system is being designed for a critical storm duration of 30 minutes. Estimate the peak runoff if the estimated design period is 10 years. Evaluate whether increasing the design period to 25 years would significantly affect the peak runoff.

Course Title: Numerical Analysis and Computer Programming (OBE)Course Code: CE 205Time: 3 hoursCredit Hour: 3.00Full Marks: 100

### (Answer ALL the questions)

**1.** In transportation engineering, these equations used to compute the travel demand (in number of persons) are expressed by

$$-18 = -2X_1 - 2X_2 - 4X_3$$
$$-14 = -X_1 - 2X_2 - 3X_3$$
$$2 = X_1 - X_2 + X_3$$

Where  $X_1$ ,  $X_2$  and  $X_3$  are the travel distance, travel time and travel cost, respectively. Now, apply **Gauss-Jordan Elimination Method** to calculate the value of travel distance ( $X_1$ ), travel time ( $X_2$ ), and travel cost ( $X_3$ ).

#### [15]

2. In Hydrology lab, an experiment named "Flow through a Venturi Meter" is done to collect Discharge vs Time data provided in the following table. Develop an equation to determine the discharge (Q) using Lagrange interpolating polynomial formula. [15]

| Time, t (s)                      | 0 | 3 | 4 | 6 |
|----------------------------------|---|---|---|---|
| Discharge, Q (m <sup>3</sup> /s) | 0 | 1 | 2 | 3 |

3. In Solid Mechanics lab, an equation,  $y = x^3 + 3e^x + 7$  is found to determine the reaction force for a 6 m long cantilever beam where, x is the distance from the left and y is the reaction force (shown in Fig.1). Calculate the upward reaction force y [5x4=20]



Fig. 1.

a) Using Trapezoidal Rule where n=10

b) Using Simpson Rule where n=10

c) Using Gauss Quadrature formula where n=1

d) Compare the results found in a, b and c with Analytical Solution

**4.** Following is a differential equation which is found in Geotechnical lab in UAP while performing an experiment [15+5+5=25]

$$2 \frac{dy}{dx} - \frac{x^2 - 10x + 25}{y} = 0$$
 where y(0)=1

a) Determine the value of y when x=2 using Second order Runge Kutta Method [Use step size h=0.5]

b) Determine the Analytical Solution

c) Determine Absolute, Relative and Percentage Error

5. The rate of cooling can be expressed using the following equation: [6+3+3+3=15]

$$\frac{dT}{dt} = -k(T - 20)$$

| t | 0  | 5    | 10 | 15   | 20   | 25   |
|---|----|------|----|------|------|------|
| T | 80 | 44.5 | 30 | 19.1 | 21.7 | 20.7 |

a) Develop a program using MATLAB to plot the specified points, adding axis names and a title "Rate of cooling" to the plot.

**b)** Develop a **program using MATLAB** to find the area under the curve using trapezoidal integration.

c) Develop a program using MATLAB to find the value of  $\frac{dT}{dt}$  for the points mentioned above.

d) Develop a program using MATLAB to find the values of k at the specified points.

6. Develop a **program using MATLAB** to make a function that computes the bending moment in a simply supported beam subjected to a point load as shown in the figure below. [10]



**Relevant Formulae:** 

1.  $\int_{-1}^{1} f(p) dp = f\left(\frac{-1}{\sqrt{3}}\right) + f\left(\frac{1}{\sqrt{3}}\right)$ 2.  $Y_n = Y_{n+1} + \frac{1}{2}(k_1 + k_2)$ 

| Course Title: Mechanics of Solids II |                | Course Code: CE 213 |
|--------------------------------------|----------------|---------------------|
| Time: 3 hours                        | Credit Hour: 3 | Full Marks: 100     |

#### (Answer all the questions)

An aluminum extrusion has the cross section shown in Fig.1. If torque T = 400 N.m is applied. All dimensions in mm.
 (a) Determine the maximum shear stresses that would develop in the three different

(a) Determine the maximum shear stresses that would develop in the three different parts of the member.

(b) Calculate the torsional stiffness of the member. (Neglecting stress concentrations.)

[6+6]

[7+7]



Fig:1

- 2. A shear wall in a reinforced concrete building is subjected to a vertical uniform load of intensity q and a horizontal force H, as shown in the first part of the Fig.2. As a consequence of these loads, the stresses at point A on the surface of the wall have the values shown in the second part of the figure.
  - (a) Determine
    - (i) the principal stresses
    - (ii) the maximum shear stresses and associated normal stresses.
  - (b) Show the results for both cases by using **Mohr's circle**.



Fig:2

Calculate the maximum compressive stress acting on section a-a caused by the applied load for the structure shown in Fig.3. The cross section at a-a is that of a solid circular bar of 2-in diameter. [16]



Fig:3

4. A thin bar of stainless steel is axially pre-compressed 100 N between two plates that are fixed at a constant distance of 150 mm apart (see Fig.4). This assembly is made at 30°C. How high can the temperature of the bar rise, so as to have a factor of safety of 2 with respect to buckling? Assume E = 200 GPa and  $\alpha = 17 \times 10^{-5}$  per °C. [10]



Fig:4

5. The overhanging steel beam ABC carries a concentrated load **P** at end C (as shown in **Fig. 5**).

For the portion AB of the beam,

.

(a) Derive the equation of the elastic curve

(b) Determine the maximum deflection (Using Direct integration Method)

[6+6]



- 6. For the prismatic beam and loading shown in **Fig.6**, determine (a) the equation of the elastic curve
  - (b) the slope at A
  - (c) the maximum deflection. (Using **Direct Integration** Method)

[4+4+4]



Fig:6

The prismatic rods AD and DB are welded together to form the cantilever beam ADB loaded as shown in Fig.7.
 Knowing that the flexural rigidity is EI in portion AD of the beam and 2EI in portion DB, determine the slope and deflection at end A. (Using Moment Area Method)

.

[12]



8. (a) Derive the formula to calculate the critical load for buckling in a column with both ends pinned.

(b) Develop the formula to determine the critical buckling load for a column with one end fixed and the other end pinned. [6+6]

| Course Title: Fluid Mechanics (OLD)<br>Time: 3 hours |                | Title: Fluid Mechanics (OLD)<br>3 hours  | Credit Hour: 3.00   | Course Code: CE<br>Full Marks: 100                                    | E 221        |
|--|----------------|--|---|---|--------------|
|  |                | <u>Please</u> answ   | ver all guestions.  |   |              |
|  |                | [Assume reasonable of the second seco | data if and when required]  |   |              |
| 1.   | a)             | Define dynamic viscosity. Describe of fluid.   | relationship between unit we  | eight and density   | 5            |
|  | b)             | Define volume flow rate. State the equation.   | condition for flow lines to s   | atisfy continuity   | 5            |
| 2.   | a)<br>b)       | Define hydraulic radius in fluid mech<br>Derive the Darcy-Weisbach equation  | anics.<br>for a circular pipe flow.   |   | 5<br>15      |
| 3.   | a)             | A 2000 ft pipeline is designed to flow a discharge of $1.0 \text{ ft}^3$ /s through a 6-inc 0.0004 ft). Compute the head loss in   | w crude oil (s.g = $0.86$ , $v= 0$ .<br>th diameter Cast-iron pipe (R<br>the flow. [Use the Moody dia                 | 00003 ft <sup>2</sup> /s) with<br>oughness height:<br>agram attached] | 10           |
|  | b)             | Water is flowing from reservoir A <i>Figure:1</i> . If the head loss is 5m, findlength method. Pipe information and  | to B though a series of pi<br>d the discharge from A to B<br>relevant formula are attached                            | pe as shown in<br>. Use equivalent<br>l with the figure.              | 10           |
| 4.   |                | Determine flow in each pipe as show<br>Give 2 trials.  | wn in <i>Figure:2</i> using Hardy   | <b>-Cross</b> method.   | 10           |
| 5.   | a)<br>b)<br>c) | State Bernoulli's energy equation and<br>Explain geometric similarity in fluid<br>Explain which fluids are appropriate   | l express the limitations of it<br>mechanics.<br>to use in a manometer  |   | 10<br>5<br>5 |
| 6.   | a)             | Find the hydrostatic force acting on t <i>Figure:3</i>   | he 200-ft long concrete dam   | as shown in the   | 5            |
|  | b)             | A ship whose hull length is 460 ft is to<br>a model (1:30) should be driven in war<br>as the prototype)  | o travel at 25.0 ft/s. Find the v<br>ter (water characteristics of the  | velocity at which<br>ne model is same                                 | 5            |
|  | c)             | A jet of oil (s.g=0.85) flowing throug<br>pipe as shown in <i>Figure: 4.</i> The flow<br>entrance and exit is 42.5 psi. Find the<br>free body diagram.   | th a <b>90° bend</b> attached to a 2 has discharge of 31.4 ft <sup>3</sup> /s an he force on the <b>bend</b> by the o | 24-inch diameter<br>d pressure at the<br>bil jet. Draw the            | 10           |





Moody Diagram